

Modeling Functions--Graphing Initial Value and Rate of Change

Big Ideas: Graphs can contain numbers too large or small to graph in detail--Initial Value (y-intercept) can still be found using significant points, tables and/or the knowledge that linear equations can take the slope-intercept form of: $y = mx + b$

Example:

Ted needs a plumber. He called one up and found that they charge a service fee just to come out to his house. One the plumber is there, they then charge a set amount an hour.

To get an idea of pricing, Ted is told that:

3 hours will cost a total of \$239

6 hours will cost a total of \$419

a. Sketch a graph of this situation.

b. What is the rate of change? **\$60 per hour**

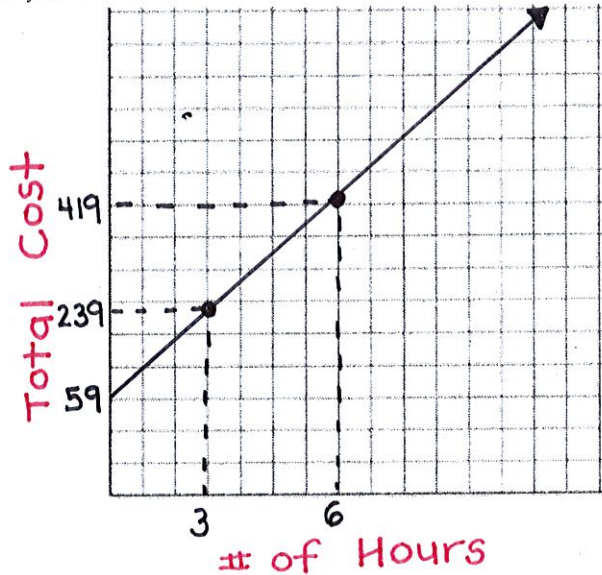
$$\begin{array}{r} \times \\ 3 < \frac{3}{6} \\ 239 > 180 \\ 419 \end{array} \quad \frac{\Delta y}{\Delta x} = \frac{180}{3} =$$

60

c. Find the service fee. **\$59**

$$\begin{array}{r} \times \\ 60 \\ 3 \\ \hline 180 \end{array}$$

$$\begin{array}{r} 239 \\ -180 \\ \hline 59 \end{array}$$



d. Write an equation to represent this situation:

$$y = 60x + 59$$